]	Find the value of the constant $k$ .	[4]
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	Page 2 of 16	9709_w20_qp_
The first, second and third ten where $p$ is positive.	rms of a geometric progression are	2p + 6, $-2p$ and $p + 2$ respectivel
Find the sum to infinity of the	e progression.	[:

Show that, for all values of $m$ , the line intersects the curve at two distinct points.	[5]
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4 The sum,  $S_n$ , of the first n terms of an arithmetic progression is given by

$$S_n = n^2 + 4n.$$

The kth term in the progression is greater than 200.

Find the smallest possible value of $k$ .	[5]
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5 Functions f and g are defined by

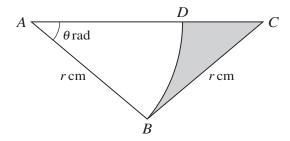
$$f(x) = 4x - 2$$
, for  $x \in \mathbb{R}$ ,  
 $g(x) = \frac{4}{x+1}$ , for  $x \in \mathbb{R}$ ,  $x \neq -1$ .

(a)	Find the value of $fg(7)$ .	[1]
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<b>(b)</b>	Find the values of x for which $f^{-1}(x) = g^{-1}(x)$ .	[5]
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ence solve the equation	$\left(\frac{1}{\cos x} - \tan x\right)$	$\frac{1}{\sin x} + 1 = 2 \tan^2 x$	for $0^{\circ} \le x \le 180^{\circ}$ .	
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	ence solve the equation	ence solve the equation $\left(\frac{1}{\cos x} - \tan x\right)\left(\frac{1}{\cos x}\right)$	ence solve the equation $\left(\frac{1}{\cos x} - \tan x\right) \left(\frac{1}{\sin x} + 1\right) = 2 \tan^2 x$	ence solve the equation $\left(\frac{1}{\cos x} - \tan x\right) \left(\frac{1}{\sin x} + 1\right) = 2 \tan^2 x$ for $0^\circ \le x \le 180^\circ$ .

- 7 The point (4, 7) lies on the curve y = f(x) and it is given that  $f'(x) = 6x^{-\frac{1}{2}} 4x^{-\frac{3}{2}}$ .
  - (a) A point moves along the curve in such a way that the *x*-coordinate is increasing at a constant rate of 0.12 units per second.

			e y-coordinate			
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In the diagram, ABC is an isosceles triangle with AB = BC = r cm and angle  $BAC = \theta$  radians. The point D lies on AC and ABD is a sector of a circle with centre A.

press the area of the shaded region in terms of $r$ and $\theta$ .	[.

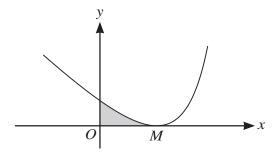
<b>(b)</b>	In the case where $r = 10$ and $\theta = 0.6$ , find the perimeter of the shaded region.	[4]
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(a)	Find the equation of the circle.	[3
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	Int $C$ is such that $AC$ is a diameter of the circle. Point $D$ has coordinates (5, 16).	r
	Int $C$ is such that $AC$ is a diameter of the circle. Point $D$ has coordinates (5, 16). Show that $DC$ is a tangent to the circle.	[4
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		[4
	Show that <i>DC</i> is a tangent to the circle.	
	Show that <i>DC</i> is a tangent to the circle.	
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The other tangent from D to the circle touches the circle at E.

	Find the coordinates of $E$ .	
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**10** 



The diagram shows part of the curve  $y = \frac{2}{(3-2x)^2} - x$  and its minimum point M, which lies on the x-axis.

(a)	Find expressions for $\frac{dy}{dx}$ , $\frac{d^2y}{dx^2}$ and $\int y  dx$ . [6]

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	ind the area of the shaded region bounded by the curve and the coordinate axes.	]
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11 A curve has equation  $y = 3\cos 2x + 2$  for  $0 \le x \le \pi$ .

(a)	State the greatest and least values of y.	[2]
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(b) Sketch the graph of  $y = 3\cos 2x + 2$  for  $0 \le x \le \pi$ . [2]

(c) By considering the straight line y = kx, where k is a constant, state the number of solutions of the equation  $3\cos 2x + 2 = kx$  for  $0 \le x \le \pi$  in each of the following cases.

(i) 
$$k = -3$$

(ii) 
$$k = 1$$

(iii) k = 3

Functions f, g and h are defined for  $x \in \mathbb{R}$  by

$$f(x) = 3\cos 2x + 2,$$

$$g(x) = f(2x) + 4,$$

$$h(x) = 2f\left(x + \frac{1}{2}\pi\right).$$

( <b>d</b> )	Describe fully a sequence of transformations that maps the graph of $y = f(x)$ on to $y = g(x)$ . [2]	
(e)	Describe fully a sequence of transformations that maps the graph of $y = f(x)$ on to $y = h(x)$ . [2]	
(e)	Describe fully a sequence of transformations that maps the graph of $y = f(x)$ on to $y = h(x)$ . [2]	
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(e)	Describe fully a sequence of transformations that maps the graph of $y = f(x)$ on to $y = h(x)$ . [2]	
(e)		

## **Additional Page**

If you use the following lined page to complete the answer(s) to any question(s), the question number(s) must be clearly shown.					
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