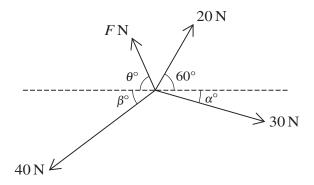
Find the two possible values of the speed of $P$ after the collision.	[4
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	F23 (56)

(a)	Find the total mass of the cyclist and her bicycle.	[3
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cons	cyclist comes to a straight hill inclined at an angle $\theta$ above the horizontal. She assistant speed 3 m s <sup>-1</sup> . She continues to work at the same rate as before and the residuaged.	ends the hill a
cons	stant speed 3 m s <sup>-1</sup> . She continues to work at the same rate as before and the resi	ends the hill a stance force i
cons	stant speed $3 \mathrm{ms^{-1}}$ . She continues to work at the same rate as before and the residuaged.	stance force i
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cons	stant speed $3 \mathrm{ms^{-1}}$ . She continues to work at the same rate as before and the residuaged.	stance force i

3



Four coplanar forces act at a point. The magnitudes of the forces are 20 N, 30 N, 40 N and F N. The directions of the forces are as shown in the diagram, where  $\sin \alpha^{\circ} = 0.28$  and  $\sin \beta^{\circ} = 0.6$ .

Given that the forces are in equilibrium, find $F$ and $\theta$ .	[6]
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(a)	Show that $u = 22$ .	[2
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( <b>b</b> )	The height of the particle above the ground is more than $h$ m for a period of 3.6 s.	
	Find $h$ .	[4
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A car of mass 1400 kg is towing a trailer of mass 500 kg down a straight hill inclined at an angle of 5° 5 to the horizontal. The car and trailer are connected by a light rigid tow-bar. At the top of the hill the speed of the car and trailer is  $20 \, \mathrm{m \, s^{-1}}$  and at the bottom of the hill their speed is  $30 \, \mathrm{m \, s^{-1}}$ . (a) It is given that as the car and trailer descend the hill, the engine of the car does 150 000 J of work, and there are no resistance forces. Find the length of the hill. [5]

Find the tension in the tow-bar between the car and trailer.	[4
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	[=1.44]

A particle moves in a straight line and passes through the point A at time t = 0. The velocity of the particle at time t s after leaving A is v m s<sup>-1</sup>, where

$$v = 2t^2 - 5t + 3.$$

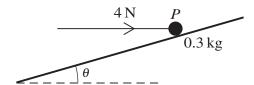
(a)	Find the times at which the particle is instantaneously at rest. Hence or otherwise find the minimum velocity of the particle. [4]

**(b)** Sketch the velocity-time graph for the first 3 seconds of motion.



[3]

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A particle P of mass 0.3 kg rests on a rough plane inclined at an angle  $\theta$  to the horizontal, where  $\sin \theta = \frac{7}{25}$ . A horizontal force of magnitude 4 N, acting in the vertical plane containing a line of greatest slope of the plane, is applied to P (see diagram). The particle is on the point of sliding up the plane.

(a)	Show that the coefficient of friction between the particle and the plane is $\frac{3}{4}$ . [4]
	force acting horizontally is replaced by a force of magnitude 4N acting up the plane parallel to a of greatest slope.
<b>(b)</b>	Find the acceleration of $P$ . [3]

(c)	Starting with <i>P</i> at rest, the force of 4 N parallel to the plane acts for 3 seconds a	nd is then removed.
	Find the total distance travelled until $P$ comes to instantaneous rest.	[3]