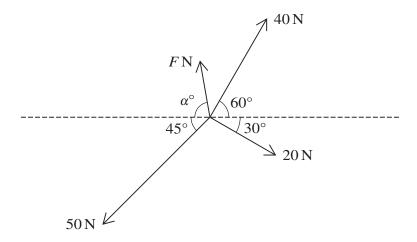
Find <i>m</i> .					[3
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(4)	Find the driving force when the acceleration of the minibus is $0.5 \mathrm{ms^{-2}}$ .	[2]
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<b>(b)</b>	Find the power required for the minibus to maintain a constant speed of $25\mathrm{ms^{-1}}$ .	[2]
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3



Four coplanar forces of magnitudes  $40\,\mathrm{N}$ ,  $20\,\mathrm{N}$ ,  $50\,\mathrm{N}$  and  $F\,\mathrm{N}$  act at a point in the directions shown in the diagram. The four forces are in equilibrium.

Find $F$ and $\alpha$ .	[6]

A car starts from rest and moves in a straight line with constant acceleration  $a \,\mathrm{m\,s^{-2}}$  for a distance of 50 m. The car then travels with constant velocity for 500 m for a period of 25 s, before decelerating to rest. The magnitude of this deceleration is  $2a \,\mathrm{m\,s^{-2}}$ .

(a) Sketch the velocity-time graph for the motion of the car. [1]



<b>(b)</b>	Find the value of $a$ .	[3
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(c)	Find the total time for which the car is in motion.	[3
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(a)	Find the decrease in kinetic energy of the block as it moves from $P$ to $Q$ .	[2
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(b)	Hence find the work done by the force pushing the block up the slope as the block $P$ to $Q$ .	moves from [3
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Find the time taken, after this instant, for the block to return to $P$ .	[4
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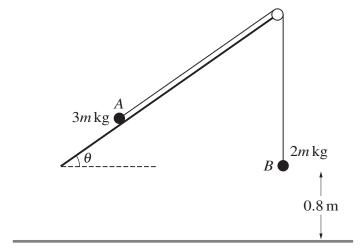
6 A particle travels in a straight line PQ. The velocity of the particle t s after leaving P is v m s<sup>-1</sup>, where  $v = 4.5 + 4t - 0.5t^2$ .

(a)	Find the velocity of the particle at the instant when its acceleration is zero.	[3]
		60

The particle comes to instantaneous rest at Q.

<b>(b)</b>	Find the distance $PQ$ .	[6]

7



Two particles A and B, of masses  $3m \, \text{kg}$  and  $2m \, \text{kg}$  respectively, are attached to the ends of a light inextensible string. The string passes over a fixed smooth pulley which is attached to the edge of a plane. The plane is inclined at an angle  $\theta$  to the horizontal. A lies on the plane and B hangs vertically,  $0.8 \, \text{m}$  above the floor, which is horizontal. The string between A and the pulley is parallel to a line of greatest slope of the plane (see diagram). Initially A and B are at rest.

(a)	Given that the plane is smooth, find the value of $\theta$ for which $A$ remains at rest.	[3]
It is	given instead that the plane is rough, $\theta = 30^{\circ}$ and the acceleration of A up the p	lane is $0.1 \mathrm{ms^{-2}}$ .
<b>(b)</b>	Show that the coefficient of friction between A and the plane is $\frac{1}{10}\sqrt{3}$ .	[5]
		FIGURE

When <i>B</i> reaches the floor it comes to rest.
Find the length of time after P reaches the floor for which A is moving up the plane. [Voy me
Find the length of time after $B$ reaches the floor for which $A$ is moving up the plane. [You ma assume that $A$ does not reach the pulley.]
Fig. 25%