| Question | Answer                     | Marks | Guidance                      |
|----------|----------------------------|-------|-------------------------------|
| 1        | $20\ 000 = V \times 1250g$ | M1    | Use of $P = Fv$ with $F = mg$ |
|          | <i>V</i> = 1.6             | A1    |                               |
|          |                            | 2     |                               |

| Question | Answer   | Marks | Guidance  |
|----------|--|-------|---|
| 2        | Initial $KE = \frac{1}{2} \times 75 \times 10^2$   | B1    | Either correct  |
|          | Final $KE = \frac{1}{2} \times 75 \times 5^2$      |       |   |
|          | PE gained = $75g \times 700 \sin 1.5$ [=13 743]    | B1    |   |
|          | WD by $F = F \times 700$                           | B1    | For WD by $F = F \times d$                                  |
|          | WD by $F$ + Initial KE = Final KE + PE gain + 2000 | M1    | Use of work-energy equation. 5 dimensionally correct terms. |
|          | F = 18.5   | A1    |   |
|          |  | 5     |   |

| Question | Answer   | Marks | Guidance                                      |
|----------|--|-------|---|
| 3(i)     | $R = 3 g \cos 60$  | B1    |   |
|          | Use $F = \mu R$  | M1    |   |
|          | $[3g\sin 60 - \mu 3g\cos 60 - 15 = 0]$                             | M1    | Resolve forces parallel to the plane, 3 terms |
|          |  | A1    | Correct equation                              |
|          | $\mu = 0.732$  | A1    | Allow $\mu = \sqrt{3} - 1$                    |
|          |  | 5     |   |
| 3(ii)    | [Maximum force = $3g\sin 60 + F$<br>= $3\sin 60 + \mu 3g\cos 60$ ] | M1    |   |
|          | X = 37(.0)   | A1    | Allow $X = 15(2\sqrt{3}-1)$                   |
|          |  | 2     |   |

| Question | Answer   | Marks | Guidance   |
|----------|--|-------|--|
| 4(i)     | Apply Newton's second law to either or to the system   | M1    |  |
|          | Block A: $T - 4g \times \frac{7}{25} = 4a$<br>Block B: $36 - T - 5g \times \frac{7}{25} = 5a$<br>System: $36 - 5g \times \frac{7}{25} - 4g \times \frac{7}{25} = 9a$ | A1    | Any two correct. Allow $\alpha = 16.3$ used.   |
|          | Either solving the system for $a$ or solving a pair of simultaneous equations for either $a$ or $T$  | M1    |  |
|          | $a = 1.2 \text{ ms}^{-2}$  | A1    |  |
|          | T = 16  N  | A1    |  |
|          |  | 5     |  |
| 4(ii)    | $\left[0.65 = 1 \times t + \frac{1}{2} \times 1.2t^2\right]$   | M1    | Use constant acceleration equation(s) with $u = 1$ and solve a 3 term quadratic equation to find $t$ |
|          | t = 0.5  s   | A1    |  |
|          | Alternative method for question 4(ii)  | 1     |  |
|          | $v^2 = 1^2 + 2 \times 1.2 \times 0.65$ [ $v = 1.6$ ] and $0.65 = \frac{1}{2}(1+v) \times t$  | M1    | Use relevant constant acceleration equations with $u = 1$ in a complete method to find $t$           |
|          | t = 0.5  s   | A1    |  |
|          |  | 2     |  |

| Question | Answer  | Marks | Guidance   |
|----------|---|-------|--|
| 5(i)     | Resolve forces either horizontally or vertically                                  | M1    |  |
|          | $7.5\cos 60 + 4.5\cos 20 = F\cos \theta$ [= 7.97861]                              | A1    |  |
|          | $7.5\sin 60 - 4.5\sin 20 = F\sin \theta$ [= 4.95609]                              | A1    |  |
|          | $F = \sqrt{\left(7.98^2 + 4.96^2\right)}$   | M1    | Use Pythagoras or use the value found for $\theta$ to find $F$ |
|          | $\theta = \tan^{-1}(\frac{4.96}{7.98})$   | M1    | Use trigonometry or the value found for $F$ to find $\theta$   |
|          | $F = 9.39$ and $\theta = 31.8$  | A1    |  |
|          | Alternative method for question 5(i)  |       |  |
|          | $\frac{F}{\sin 80} = \frac{4.5}{\sin(120+\theta)} = \frac{7.5}{\sin(160-\theta)}$ | M1    | Attempt to use Lami  |
|          |   | A1    | One correct pair of terms                                      |
|          |   | A1    | A second correct pair of terms                                 |
|          | $[4.5\sin(160 - \theta) = 7.5\sin(120 + \theta)]$                                 | M1    | Attempt to solve for $\theta$                                  |
|          | Use the $\theta$ value found by valid trigonometry to find $F$                    | M1    |  |
|          | $F = 9.39 \text{ and } \theta = 31.8$   | A1    |  |

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| Question | Answer   | Marks | Guidance  |
|----------|--|-------|---|
| 5(i)     | Alternative method for question 5(i)   |       |   |
|          | Forces 4.5, 7.5, F opposite angles $60 - \theta$ , $\theta + 20$ , 100                           | M1    | Illustrate a triangle of forces                                 |
|          | $[F^2 = 4.5^2 + 7.5^2 - 2 \times 4.5 \times 7.5 \times \cos 100]$                                | M1    | For application of cosine rule to find <i>F</i>                 |
|          |  | A1    | Correct equation  |
|          | $\left[\frac{9.39}{\sin 100} = \frac{4.5}{\sin(60-\theta)} = \frac{7.5}{\sin(\theta+20)}\right]$ | M1    | One application of the sine rule to find $\theta$               |
|          |  | A1    | Correct equation  |
|          | $F = 9.39$ and $\theta = 31.8$   | A1    |   |
|          |  | 6     |   |
| 5(ii)    | $9.5\cos 30 - 7.5\cos 60 - 4.5\cos 20 = m \times 1.5$  | M1    | Apply Newton's second law to the ring along <i>AB</i> (4 terms) |
|          | m = 0.166  kg  | A1    |   |
|          |  | 2     |   |

| Question | Answer   | Marks | Guidance   |
|----------|--|-------|--|
| 6(i)     | $0.4g \times 1.8 = \frac{1}{2} \times 0.4 \times v^2$  | M1    | KE gain = PE lost  |
|          | $v = 6 \text{ ms}^{-1}$  | A1    |  |
|          | Alternative method for question 6(i)   |       |  |
|          | $v^2 = 0^2 + 2 \times g \times 1.8$  | M1    | Use constant acceleration equation(s) with $a = g$ to find $v$                 |
|          | $v = 6 \text{ ms}^{-1}$  | A1    |  |
|          |  | 2     |  |
| 6(ii)    | 0.4g - 5.6 = 0.4a  | M1    | Use Newton's second law for the particle in the vertical (3 terms)             |
|          | $a = -4 \text{ ms}^{-2}$   | A1    |  |
|          | 0 = 6 - 4t   | M1    | Use of constant acceleration equation(s) such as $v = u + at$ to find <i>t</i> |
|          | t = 1.5  s   | A1    |  |
|          |  | 4     |  |
| 6(iii)   | Straight line starting at (0,0) with positive gradient   | B1    |  |
|          | Second straight line starting at end of the first line with negative gradient and ending with $v = 0$                | B1    |  |
|          | All correct, start at $(0, 0)$ with max velocity $v = 6$ at $t = 0.6$<br>i.e. $(0.6, 6)$ and finishing at $(2.1, 0)$ | B1FT  | FT on <i>their v</i> from (i) and/or <i>their t</i> from (ii)                  |
|          |  | 3     |  |

| Question | Answer  | Marks | Guidance   |
|----------|---|-------|--|
| 7(i)     | $0.6t^2 - 0.12t^3 = 0$                                    | M1    | For attempting to solve $v = 0$  |
|          | (t = 0  or) t = 5   | A1    |  |
|          | $\int v  \mathrm{d}t = 0.2t^3 - 0.03t^4$                  | *M1   | For integrating the velocity   |
|          | $OP = [0.2 \times 5^3 - 0.03 \times 5^4] - [0]$           | DM1   | Use limits to find <i>OP</i>   |
|          | Distance = $6.25 \text{ m}$                               | A1    | AG   |
|          |   | 5     |  |
| 7(ii)    | $k \times 5^3 + c \times 5^5 = 6.25$                      | B1    | Using $s = 6.25$ at $t = 5$ to set up equation in $k$ and $c$  |
|          | $v = 3kt^2 + 5ct^4$                                       | *M1   | For differentiating <i>s</i> to find <i>v</i>  |
|          | $1.25 = 3k \times 5^2 + 5c \times 5^4$                    | DM1   | For using the given value of $v = 1.25$ in the expression for $v$  |
|          | 125k + 3125c = 6.25<br>75k + 3125c = 1.25                 | M1    | For attempting to solve a pair of simultaneous equations in $k$ and $c$ and finding a value of either $k$ or $c$ |
|          | k = 0.1, c = -0.002                                       | A1    |  |
|          |   | 5     |  |
| 7(iii)   | $a = 0.6t - 0.04t^3$                                      | M1    | For differentiating their expression for <i>v</i>  |
|          | At $t = 5$ , $a = -2$ Acceleration $= -2 \text{ ms}^{-2}$ | A1    |  |
|          |   | 2     |  |