| Question | Answer |  |  |  |  |  | Marks | Guidance |
| :---: | :--- | ---: | ---: | :---: | :---: | :---: | :---: | :---: |
| 1 | $20000=V \times 1250 g$ | $\mathbf{M 1}$ | Use of $P=F v$ with $F=m g$ |  |  |  |  |  |
|  | $V=1.6$ | $\mathbf{A 1}$ |  |  |  |  |  |  |
|  |  | $\mathbf{2}$ |  |  |  |  |  |  |


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| :---: | :---: | :---: | :---: |
| 2 | $\begin{aligned} & \text { Initial } K E=\frac{1}{2} \times 75 \times 10^{2} \\ & \text { Final } K E=\frac{1}{2} \times 75 \times 5^{2} \end{aligned}$ | B1 | Either correct |
|  | PE gained $=75 \mathrm{~g} \times 700 \sin 1.5 \quad[=13743]$ | B1 |  |
|  | WD by $F=F \times 700$ | B1 | For WD by $F=F \times d$ |
|  | WD by $F+$ Initial $\mathrm{KE}=$ Final $\mathrm{KE}+\mathrm{PE}$ gain +2000 | M1 | Use of work-energy equation. 5 dimensionally correct terms. |
|  | $F=18.5$ | A1 |  |
|  |  | 5 |  |


| Question | Answer | Marks | Guidance |
| :---: | :---: | :---: | :---: |
| 3(i) | $R=3 g \cos 60$ | B1 |  |
|  | Use $F=\mu R$ | M1 |  |
|  | $[3 g \sin 60-\mu 3 g \cos 60-15=0]$ | M1 | Resolve forces parallel to the plane, 3 terms |
|  |  | A1 | Correct equation |
|  | $\mu=0.732$ | A1 | Allow $\mu=\sqrt{3}-1$ |
|  |  | 5 |  |
| 3(ii) | $\begin{aligned} {[\text { Maximum force }} & =3 g \sin 60+F \\ & =3 \sin 60+\mu 3 g \cos 60] \end{aligned}$ | M1 |  |
|  | $X=37(.0)$ | A1 | Allow $X=15(2 \sqrt{3-1})$ |
|  |  | 2 |  |


| Question | Answer | Marks | Guidance |
| :---: | :---: | :---: | :---: |
| 4(i) | Apply Newton's second law to either or to the system | M1 |  |
|  | Block $A$ : $\quad T-4 g \times \frac{7}{25}=4 a$ <br> Block B: $\quad 36-T-5 g \times \frac{7}{25}=5 a$ <br> System: $\quad 36-5 g \times \frac{7}{25}-4 g \times \frac{7}{25}=9 a$ | A1 | Any two correct. Allow $\alpha=16.3$ used. |
|  | Either solving the system for $a$ or solving a pair of simultaneous equations for either $a$ or $T$ | M1 |  |
|  | $a=1.2 \mathrm{~ms}^{-2}$ | A1 |  |
|  | $T=16 \mathrm{~N}$ | A1 |  |
|  |  | 5 |  |
| 4(ii) | $\left[0.65=1 \times t+\frac{1}{2} \times 1.2 t^{2}\right]$ | M1 | Use constant acceleration equation(s) with $u=1$ and solve a 3 term quadratic equation to find $t$ |
|  | $t=0.5 \mathrm{~s}$ | A1 |  |
|  | Alternative method for question 4(ii) |  |  |
|  | $v^{2}=1^{2}+2 \times 1.2 \times 0.65 \quad[v=1.6] \quad \text { and } 0.65=\frac{1}{2}(1+v) \times t$ | M1 | Use relevant constant acceleration equations with $u=1$ in a complete method to find $t$ |
|  | $t=0.5 \mathrm{~s}$ | A1 |  |
|  |  | 2 |  |


| Question | Answer | Marks | Guidance |
| :---: | :---: | :---: | :---: |
| 5(i) | Resolve forces either horizontally or vertically | M1 |  |
|  | $7.5 \cos 60+4.5 \cos 20=F \cos \theta \quad[=7.97861]$ | A1 |  |
|  | $7.5 \sin 60-4.5 \sin 20=F \sin \theta \quad[=4.95609]$ | A1 |  |
|  | $F=\sqrt{\left(7.98^{2}+4.96^{2}\right)}$ | M1 | Use Pythagoras or use the value found for $\theta$ to find $F$ |
|  | $\theta=\tan ^{-1}\left(\frac{4.96}{7.98}\right)$ | M1 | Use trigonometry or the value found for $F$ to find $\theta$ |
|  | $F=9.39$ and $\theta=31.8$ | A1 |  |
|  | Alternative method for question 5(i) |  |  |
|  | $\frac{F}{\sin 80}=\frac{4.5}{\sin (120+\theta)}=\frac{7.5}{\sin (160-\theta)}$ | M1 | Attempt to use Lami |
|  |  | A1 | One correct pair of terms |
|  |  | A1 | A second correct pair of terms |
|  | $[4.5 \sin (160-\theta)=7.5 \sin (120+\theta)]$ | M1 | Attempt to solve for $\theta$ |
|  | Use the $\theta$ value found by valid trigonometry to find $F$ | M1 |  |
|  | $F=9.39$ and $\theta=31.8$ | A1 |  |


| Question | Answer | Marks | Guidance |
| :---: | :---: | :---: | :---: |
| 5(i) | Alternative method for question 5(i) |  |  |
|  | Forces 4.5, 7.5, $F$ opposite angles $60-\theta, \theta+20,100$ | M1 | Illustrate a triangle of forces |
|  | $\left[F^{2}=4.5^{2}+7.5^{2}-2 \times 4.5 \times 7.5 \times \cos 100\right]$ | M1 | For application of cosine rule to find $F$ |
|  |  | A1 | Correct equation |
|  | $\left[\frac{9.39}{\sin 100}=\frac{4.5}{\sin (60-\theta)}=\frac{7.5}{\sin (\theta+20)}\right]$ | M1 | One application of the sine rule to find $\theta$ |
|  |  | A1 | Correct equation |
|  | $F=9.39$ and $\theta=31.8$ | A1 |  |
|  |  | 6 |  |
| 5(ii) | $9.5 \cos 30-7.5 \cos 60-4.5 \cos 20=m \times 1.5$ | M1 | Apply Newton's second law to the ring along $A B$ (4 terms) |
|  | $m=0.166 \mathrm{~kg}$ | A1 |  |
|  |  | 2 |  |


| Question | Answer | Marks | Guidance |
| :---: | :---: | :---: | :---: |
| 6(i) | $0.4 \mathrm{~g} \times 1.8=\frac{1}{2} \times 0.4 \times v^{2}$ | M1 | KE gain $=\mathrm{PE}$ lost |
|  | $v=6 \mathrm{~ms}^{-1}$ | A1 |  |
|  | Alternative method for question 6(i) |  |  |
|  | $v^{2}=0^{2}+2 \times g \times 1.8$ | M1 | Use constant acceleration equation(s) with $a=g$ to find v |
|  | $v=6 \mathrm{~ms}^{-1}$ | A1 |  |
|  |  | 2 |  |
| 6(ii) | $0.4 g-5.6=0.4 a$ | M1 | Use Newton's second law for the particle in the vertical (3 terms) |
|  | $a=-4 \mathrm{~ms}^{-2}$ | A1 |  |
|  | $0=6-4 t$ | M1 | Use of constant acceleration equation(s) such as $v=u+a t$ to find $t$ |
|  | $t=1.5 \mathrm{~s}$ | A1 |  |
|  |  | 4 |  |
| 6(iii) | Straight line starting at ( 0,0 ) with positive gradient | B1 |  |
|  | Second straight line starting at end of the first line with negative gradient and ending with $v=0$ | B1 |  |
|  | All correct, start at $(0,0)$ with max velocity $v=6$ at $t=0.6$ i.e. $(0.6,6)$ and finishing at $(2.1,0)$ | B1FT | FT on their $v$ from (i) and/or their $t$ from (ii) |
|  |  | 3 |  |


| Question | Answer | Marks | Guidance |
| :---: | :---: | :---: | :---: |
| 7(i) | $0.6 t^{2}-0.12 t^{3}=0$ | M1 | For attempting to solve $v=0$ |
|  | ( $t=0$ or) $t=5$ | A1 |  |
|  | $\int_{v} \mathrm{~d} t=0.2 t^{3}-0.03 t^{4}$ | *M1 | For integrating the velocity |
|  | $O P=\left[0.2 \times 5^{3}-0.03 \times 5^{4}\right]-[0]$ | DM1 | Use limits to find $O P$ |
|  | Distance $=6.25 \mathrm{~m}$ | A1 | AG |
|  |  | 5 |  |
| 7(ii) | $k \times 5^{3}+c \times 5^{5}=6.25$ | B1 | Using $s=6.25$ at $t=5$ to set up equation in $k$ and $c$ |
|  | $v=3 k t^{2}+5 c t^{4}$ | *M1 | For differentiating $s$ to find $v$ |
|  | $1.25=3 k \times 5^{2}+5 c \times 5^{4}$ | DM1 | For using the given value of $v=1.25$ in the expression for $v$ |
|  | $\begin{aligned} & 125 k+3125 c=6.25 \\ & 75 k+3125 c=1.25 \end{aligned}$ | M1 | For attempting to solve a pair of simultaneous equations in $k$ and $c$ and finding a value of either $k$ or $c$ |
|  | $k=0.1, c=-0.002$ | A1 |  |
|  |  | 5 |  |
| 7(iii) | $a=0.6 t-0.04 t^{3}$ | M1 | For differentiating their expression for $v$ |
|  | At $t=5, a=-2 \quad$ Acceleration $=-2 \mathrm{~ms}^{-2}$ | A1 |  |
|  |  | 2 |  |

