

Question	Answer	Marks	Guidance
1	Trapezium	B1	Includes (0,0) and (... ,0)
	$(t = 0), t = 5, t = 29, t = 35$	B1	Correct trapezium with key time values
	$v_{\max} = 2.1 \times 5 = 10.5 \text{ ms}^{-1}$	B1	
	$[\frac{1}{2} \times (24 + 35) \times 10.5]$ or $[\frac{1}{2} \times 5 \times 10.5 + 24 \times 10.5 + \frac{1}{2} \times 6 \times 10.5]$	M1	Use of area property to find distance
	309.75 m or 310 m	A1	
		5	

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2(i)	$[24\cos 25^\circ - 12\cos 65^\circ]$	M1	Resolving in x -direction
	16.7 N	A1	(16.679...)
	$[30 - 24\sin 25^\circ - 12\sin 65^\circ]$	M1	Resolving in y -direction
	8.98 N	A1	(8.981...)
		4	
2(ii)	$[\tan^{-1} \frac{8.98\dots}{16.67\dots}]$	M1	Uses trigonometry to find the angle
	28.3° (anticlockwise) from x -direction	A1	(28.300...) or equivalent
		6	

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3(i)		M1	Use of Newton's Second Law (4 terms)
	$DF - 1550 - 1400g\sin 4^\circ = 1400 \times 0.4$	A1	($DF = 3086.59\dots$)
	$[30000 = (1400 \times 0.4 + 1550 + 1400g\sin 4^\circ)v]$	M1	Use of $P = Fv$
	$v = 9.72 \text{ ms}^{-1}$	A1	
		4	
3(ii)	$[DF - 1550 - 1400g\sin 4^\circ = 0]$	M1	($DF = 2526.59\dots$) Resolving up the hill
	$[P_{\text{max}} = (1550 + 1400g\sin 4^\circ) \times 40]$	M1	Use of $P = Fv$
	$P = 101000 \text{ W}$ or 101 kW	A1	($P = 101063.6\dots$)
		3	

Question	Answer	Marks	Guidance
4(i)	Particle A: $[1.3g - T = 1.3a]$ or Particle B: $[T - 0.7g = 0.7a]$	M1	Use of Newton's Second law for A or B or use of $a = (m_A - m_B)g / (m_A + m_B)$
	$1.3g - T = 1.3a$ and $T - 0.7g = 0.7a$ OR $a = \frac{(1.3 - 0.7)g}{(1.3 + 0.7)}$ and $1.3g - T = 1.3a$ or $T - 0.7g = 0.7a$	A1	Two correct equations
	$[6 = 2a, a=3]$ or $[\frac{1.3g - T}{1.3} = \frac{T - 0.7g}{0.7}, T = 9.1]$	M1	Solves for a or for T
	$a = 3 \text{ ms}^{-2}$ and $T = 9.1 \text{ N}$	A1	(a = 3)
		4	
4(ii)	Distance while connected = 0.375 m	B1	
	$[v^2 = 0^2 + 2 \times 3 \times 0.375 \rightarrow v = \dots]$	M1	Use of <i>suvat</i> to find v at 'break' ($v^2 = 2as$)
	$v = 1.5 \text{ ms}^{-1}$	A1	Correct value or expression for v
	$[A: 1.375 = 1.5t + \frac{1}{2}gt^2 \rightarrow t = 0.395\dots]$	M1	Finds one time 'from break to floor'
	$[B: 1.375 = -1.5t + \frac{1}{2}gt^2$ or $-1.375 = 1.5t - \frac{1}{2}gt^2 \rightarrow t = 0.695\dots]$	M1	Finds second time 'from break to floor'
	Difference in times = 0.3 s	A1	
	Alternative Method 1 for 4(ii) (last 3 marks)		
	$[u_B = 1.5, v_B = 0, a = -g, 0 = 1.5 - gt \rightarrow t = 0.15]$	M1	Finds t_B from 'break' to maximum height
	Difference in times = 2×0.15	M1	
	Difference in times = 0.3 s	A1	

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5(ii)	$[18g\sin 30^\circ - 0.25(18g\cos 30^\circ) = 18a \rightarrow a = \dots]$	M1	($a = 2.835\dots$) – Newton's Second Law (3 term equation)
	$[v^2 = 0^2 + 2 \times 2.835\dots \times 27.913\dots \rightarrow v = \dots]$	M1	Use of <i>suvat</i> to find <i>s</i>
	$v = 12.6 \text{ ms}^{-1}$	A1	(12.580...)
	Alternative Method 1 for 5(ii)		
	$R = 18g\cos 30^\circ$ (90√3 or 155.884...)	B1	
	$[F = 0.25(18g\cos 30^\circ)]$ (45√3/2 or 38.971...)	M1	Use of $F = \mu R$
	$[\text{KE gain} = \frac{1}{2} \times 18 \times 20^2 \text{ and PE loss} = 18gh \text{ or } 18gs(\sin 30^\circ)]$	M1	Use of $\text{KE} = \frac{1}{2}mv^2$ and $\text{PE} = mgh$
	$[\frac{1}{2} \times 18 \times 20^2 = 18gs(\sin 30^\circ) + 45\cos 30^\circ \times s]$	M1	Work / Energy equation (up plane)
	$s = 27.913\dots$	A1	
	$[\text{WD} = 45\cos 30^\circ \times 27.91\dots]$	M1	Work done against friction
	$[\frac{1}{2} \times 18v^2 = (18g\sin 30^\circ) \times 27.91\dots - 45\cos 30^\circ \times 27.91\dots]$	M1	Work / Energy equation (down plane)
	$v = 12.6 \text{ ms}^{-1}$	A1	(12.580...)
	Alternative Method 2 for 5(ii) (last 3 marks)		
	$[\text{WD} = 2 \times 45\cos 30^\circ \times 27.91\dots]$	M1	WD against friction (up and down)
$[\frac{1}{2} \times 18 \times 20^2 - \frac{1}{2} \times 18v^2 = 2 \times 45\cos 30^\circ \times 27.91\dots]$	M1	Uses KE loss = total WD against friction	
$v = 12.6 \text{ ms}^{-1}$	A1	(12.580...)	
		8	

Question	Answer	Marks	Guidance
6(i)	$[v = 6t^2/2 - 12t + C]$ $v = 3t^2 - 12t + C$	*M1	Use of $v = \int a dt$
	$[s = 3t^3/3 - 12t^2/2 + Ct + D]$ $s = t^3 - 6t^2 + Ct + D$	*M1	Use of $s = \int v dt$
	$[5 = 1 - 6 + C + D$ $C + D = 10$ $1 = 27 - 54 + 3C + D$ $3C + D = 28$ $\rightarrow C = \dots, D = \dots]$	DM1	Substitutes for s and t and solves equations. Dependent on both Ms.
	$s = t^3 - 6t^2 + 9t + 1$ or $p = 9, q = 1$	A1	
		4	
6(ii)	$[v = 0, 3t^2 - 12t + 9 = 0(t-1)(t-3) = 0 \rightarrow t = \dots]$	M1	Solves $v = 0$ to find t values
	$t = 1$ or $t = 3$	A1	
		2	
6(iii)	$[\int_0^1 v dt + \int_1^3 v dt + \int_3^4 v dt]$	M1	Attempts to use at least three t intervals
	[For $0 \leq t \leq 1, s = (1 - 6 + 9 + 1) - 1 = 4]$	M1	Evaluates s for one time interval
	$[0 \leq t \leq 1, s = (1 - 6 + 9 + 1) - 1 = 4; 1 \leq t \leq 3, s = (27 - 54 + 27 + 1) - 5 = -4$ $3 \leq t \leq 4, s = (64 - 96 + 36 + 1) - 1 = 4]$	A1	Correctly finds all at least two distances (ignoring signs)
	Total distance is 12 m	A1	
		4	