

Question	Answer	Marks	Guidance
1	$\Sigma(x - 10) = 186 - 12 \times 10 = 66$	<b>B1</b>	Correct answer
	$\frac{\Sigma(x - 10)^2}{12} - \left(\frac{\Sigma(x - 10)}{12}\right)^2 = 4.5^2$	<b>M1</b>	Consistent substituting in the correct coded variance formula OR Valid method for $\Sigma x^2$ then expanding $\Sigma(x - 10)^2$ , 3 terms with at least 2 correct
	$\Sigma(x - 10)^2 = 606$	<b>B1</b>	Correct answer
		<b>3</b>	

Question	Answer	Marks	Guidance
2(i)	LQ = 18, Median = 25, UQ = 50	<b>B1</b>	median correct
	<p style="text-align: center;">Distance km</p>	<b>B1</b>	LQ and UQ correct
		<b>B1</b>	Quartiles and median plotted as box graph with linear scale min 3 values
		<b>B1ft</b>	Whiskers drawn to correct end points with linear scale, not thr' box, not joining at top or bottom of box. Ft their UQ and LQ. Whiskers must be with ruler  If scale non-linear or non-existent SCB1 if all 5 data values (quartiles and end points) have values shown and all are correct numerically and fulfil the 'box' and 'whiskers ruled line' requirements
		<b>B1</b>	Label to include 'distance or travelled' and 'km,' allow 'total km', linear scale, numbered at least 5 – 70.
		<b>5</b>	

Question	Answer	Marks	Guidance
2(ii)	$1.5 \times \text{IQR} = 48$ <b>Method 1</b> $\text{LQ} - 48 = -\text{ve}$ , (i.e. $< 0$ ) $\text{UQ} + 48 = 98$ (i.e. $> 70$ )	<b>M1</b>	Attempt to find $1.5 \times$ their IQR and add to UQ <b>or</b> subt from LQ
	hence no outliers	<b>A1</b>	Correct conclusion from correct working, need both ends. No need to state comparisons.
	<b>Method 2</b> $\text{LQ} - 5 = 13 (< 48)$ $70 - \text{UQ} = 20 (< 48)$	<b>M1</b>	Compare their $1.5 \times \text{IQR} (= 48) >$ gap (20) between UQ and max 70 <b>or</b> LQ and min 5
	Hence no outliers	<b>A1</b>	Correct conclusion from correct working, need both ends. No need to state comparisons
		<b>2</b>	

Question	Answer	Marks	Guidance								
3(i)	$P(\text{RB}) + P(\text{BR}) = \frac{4}{12} \times \frac{8}{11} + \frac{8}{12} \times \frac{4}{11}$ oe	M1	Multiply 2 probs together and summing two 2-factor probs, unsimplified, condone replacement								
	$P(\text{diff colours}) = \frac{64}{132} \left(\frac{16}{33}\right)$ (0.485) oe	A1	Correct answer								
	<b>Method 2</b> $1 - P(\text{BB}) - P(\text{RR}) = 1 - \frac{4}{12} \times \frac{3}{11} - \frac{8}{12} \times \frac{7}{11}$	M1	Multiply 2 probs together and subtracting two 2-factor probs from 1, unsimplified, condone replacement								
	$P(\text{diff colours}) = \frac{64}{132} \left(\frac{16}{33}\right)$ oe	A1	Correct answer								
	<b>Method 3</b> $P(\text{diff colours}) = \frac{{}^4C_1 \times {}^8C_1}{{}^{12}C_2}$	M1	Multiply 2 combs together and dividing by a combination								
	$= \frac{16}{33}$	A1	Correct answer								
			2								
3(ii)	<table border="1"> <tr> <td>Number of red socks</td> <td>0</td> <td>1</td> <td>2</td> </tr> <tr> <td>Prob</td> <td><math>\frac{14}{33}</math></td> <td><math>\frac{16}{33}</math></td> <td><math>\frac{3}{33}</math></td> </tr> </table>	Number of red socks	0	1	2	Prob	$\frac{14}{33}$	$\frac{16}{33}$	$\frac{3}{33}$	B1	Prob distribution table drawn, top row correct, condone additional values with $p = 0$ stated
	Number of red socks	0	1	2							
	Prob	$\frac{14}{33}$	$\frac{16}{33}$	$\frac{3}{33}$							
		B1	$P(0)$ or $P(2)$ correct to 3sf (need not be in table)								
	B1	All probs correct to 3sf, condone $P(0)$ and $P(2)$ swapped if correct									
		3									

Question	Answer	Marks	Guidance
3(iii)	$E(X) = 1 \times \frac{16}{33} + 2 \times \frac{3}{33} = \frac{16}{33} + \frac{6}{33} = \frac{22}{33} \left(\frac{2}{3}\right)$	<b>B1ft</b>	ft their table if 0, 1, 2 only, $0 < p < 1$
		<b>1</b>	

Question	Answer	Marks	Guidance
4(a)	$z_1 = 2.4$	<b>B1</b>	$\pm 2.4$ seen accept 2.396
	$z_2 = -0.5$	<b>B1</b>	$\pm 0.5$ seen
	$2.4 = \frac{36800 - \mu}{\sigma}$	<b>M1</b>	Either standardisation eqn with $z$ value, not 0.5082, 0.7565, 0.0082, 0.6915, 0.3085, 0.6209, 0.0032 or any other probability
	$-0.5 = \frac{31000 - \mu}{\sigma}$	<b>M1</b>	Sensible attempt to eliminate $\mu$ or $\sigma$ by substitution or subtraction from their 2 equations ( $z$ -value not required), need at least 1 value stated
	$\sigma = 2000$ $\mu = 32000$	<b>A1</b>	Both correct answers
		<b>5</b>	
4(b)	$P(X < 3\mu) = P\left(z < \frac{3\mu - \mu}{(4\mu/3)}\right)$ or $P = \left(z < \frac{(9\sigma/4) - (3\sigma/4)}{\sigma}\right)$	<b>M1</b>	Standardise, in terms of one variable, accept $\sigma^2$ or $\sqrt{\sigma}$
	$P\left(z < \frac{6}{4}\right)$	<b>M1</b>	$\frac{6}{4}$ or $\frac{6}{4\sigma}$ seen
	$= 0.933$	<b>A1</b>	Correct final answer
		<b>3</b>	

Question	Answer	Marks	Guidance
<b>5(i)</b>	$P(4, 5, 6) = {}^{15}C_4(0.22)^4(0.78)^{11} + {}^{15}C_5(0.22)^5(0.78)^{10} +$	<b>M1</b>	One binomial term ${}^{15}C_x p^x (1-p)^{15-x}$ $0 < p < 1$
	${}^{15}C_6(0.22)^6(0.78)^9$	<b>A1</b>	Correct unsimplified expression
	$= 0.398$	<b>A1</b>	Correct answer
		<b>3</b>	
<b>5(ii)</b>	$\mu = 145 \times 0.22 = 31.9$ $\sigma^2 = 145 \times 0.22 \times 0.78 = 24.882$	<b>B1</b>	Correct unsimplified mean and variance
	$P(x > 26) = P\left(z > \frac{26.5 - 31.9}{\sqrt{24.882}}\right) = P(z > -1.08255)$	<b>M1</b>	Standardising must have sq rt
		<b>M1</b>	25.5 or 26.5 seen as a cc
	$= \Phi(1.08255)$	<b>M1</b>	Correct area $\Phi$ , must agree with their $\mu$
	$= 0.861$	<b>A1</b>	Correct final answer accept 0.861, or 0.860 from 0.8604 not from 0.8599
		<b>5</b>	

Question	Answer	Marks	Guidance
6(i)	$P(\text{SLL}) = (0.3)(0.55)(0.55) = 0.09075 \left( \frac{363}{4000} \right)$	M1	P(SLL), P(SRR), P(SSL) or P(SSR) seen
	$P(\text{SRR}) = (0.3)(0.15)(0.15) = 0.00675 \left( \frac{27}{4000} \right)$	A1	Two correct options 0.09075 or 0.00675 can be unsimplified
	Total = ${}^3C_1 \times P(\text{SLL}) + {}^3C_1 \times P(\text{SRR})$ = 0.27225 + 0.02025	M1	Summing 6 prob options not all identical
	Prob = 0.293 accept 0.2925 $\left( \frac{117}{400} \right)$	A1	Correct answer
		4	
6(ii)	$P(\text{SSS} \mid \text{all same dir}^n) = \frac{P(\text{SSS and same dir}^n)}{P(\text{same direction})}$	B1	$(0.3)^3$ oe seen on its own as num or denom of a fraction
		M1	Attempt at $P(\text{SSS} + \text{LLL} + \text{RRR})$ seen anywhere
	$= \frac{0.3 \times 0.3 \times 0.3}{(0.15)^3 + (0.55)^3 + (0.3)^3}$	A1	$(0.15)^3 + (0.55)^3 + (0.3)^3$ oe seen as denom of a fraction
	$= 0.137 \left( \frac{108}{787} \right)$	A1	Correct answer
		4	

Question	Answer	Marks	Guidance
7(i)	$\frac{9!}{2!2!} = 90720$	<b>B1</b>	Must see 90720
		<b>1</b>	
7(ii)	<b>Method 1</b> ↑ * * * * * A	<b>B1</b>	5! seen multiplied (arrangement of consonants allowing repeats)
	No. arrangements of consonants × ways of inserting vowels =	<b>B1</b>	${}^6P_4$ oe (i.e. $6 \times 5 \times 4 \times 3$ , ${}^6C_4 \times 4!$ ) seen mult (allowing repeats) no extra terms
	$\frac{5!}{2!}$ $\times \frac{{}^6P_4}{2!}$	<b>B1</b>	Dividing by at least one 2! (removing at least one set of repeats)
	Answer $\frac{{}^6P_4}{2!} \times \frac{5}{2} = 10\,800$	<b>B1</b>	Correct final answer
		<b>4</b>	
7(iii)	${}^5C_3 = 10$	<b>M1</b>	${}^5C_x$ or ${}^5P_x$ seen alone, $x = 2$ or $3$
		<b>A1</b>	Correct final answer not from ${}^5C_2$
		<b>2</b>	

Question	Answer	Marks	Guidance
7(iv)	<b>Method 1</b> Considering separate groups	<b>M1</b>	Considering two scenarios of MME or EEM or MMEE with attempt, may be probs or perms
	MME** = ${}^5C_2 = 10$ MEE** = ${}^5C_2 = 10$ MMEE* = ${}^5C_1 = 5$	<b>M1</b>	Summing three appropriate scenarios from the four need ${}^5C_x$ seen in all of them
	ME*** = ${}^5C_3 = 10$ see (iii) Total = 35	<b>A1</b>	Correct final answer
	<b>Method 2</b> Considering criteria are met if ME are chosen	<b>M1</b>	${}^7C_x$ only seen, no other terms
		<b>M1</b>	${}^x C_3$ only seen, no other terms
	ME *** = ${}^7C_3 = 35$	<b>A1</b>	Correct final answer
		<b>3</b>	