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| 1 | P(3, 4, 5) = | M1 | | Bin expression of form ${}^{10}C_x(p)^x(1-p)^{10-x}$ any <i>x</i> any <i>p</i> |
|-------|---|------------|---|--|
| | ${}^{10}C_3\left(\frac{1}{6}\right)^3 \left(\frac{5}{6}\right)^7 + {}^{10}C_4\left(\frac{1}{6}\right)^4 \left(\frac{5}{6}\right)^6 + {}^{10}C_5\left(\frac{1}{6}\right)^5$ $\left(\frac{5}{6}\right)^5$ | A1 | | Correct unsimplified answer accept (0.17, 0.83), (0.16, 0.84), (0.16, 0.83), (0.17, 0.84) or more accurate |
| | (6) | A1 | 3 | Correct answer |
| | = 0.222 | | | |
| 2 | mid points 13, 30.5, 40.5, 50.5, 73 | M1 | | Attempt at midpoints at least 3 correct |
| | Mean = $\frac{4 \times 13 + 24 \times 30.5 + 38 \times 40.5 + 34 \times 50.5 + 20 \times 73}{120}$ | M1 | | Using their midpoints i.e. cw, ucb, 1/2 cw and freqs into correct formula must be divided by 120 |
| | $=\frac{5500}{120}=45.8$ | A1 | | Correct answer from correct working Evaluating |
| | var = $\frac{4 \times 13^{2} + 24 \times 30.5^{2} + 38 \times 40.5^{2} + 34 \times 50.5^{2} + 20 \times 73^{2}}{120}$ $- (45.8)^{2}$ $= \frac{278620}{120} - 45.8^{2}$ | M1 | | $\frac{\sum fx^2}{120}$ – their \overline{x}^2 must see their 45.8 ² subtracted allow cw etc |
| | $= 2321.8333 - 45.8^{2}$ sd = 14.9 | A1 | 5 | Correct answer |
| 3 (i) | | B1 | | LQ = 2.6 med = 3.8 - 3.85, UQ = 6.4 - 6.6 |
| | 0 1 2 3 4 5 6 7 8 9 10 | Bl √ B1 | | Correct quartiles and median on graph ft linear from 2–10 End whiskers correct not through box |
| | time in sec | B1 | 4 | Label need seconds and linear 2–10 axis or can have 5 values on boxplot no line provided correct |
| (ii) | $1.5 \times IQR = 1.5 \times 3.8 = 5.7$ | M1 | | Attempt to find $1.5 \times IQR$ and add to UQ or subt from LO OR compare $1.5 \times IQR$ |
| | LQ - 5.7 = -ve, UQ + 5.7 = 12.1 i.e. > 10 So no outliers AG | A1 | 2 | with gap 3.6 between UQ and max 10 Correct conclusion from correct working need both |
| 4 (i) | $0.3 \times 0.72 + 0.7 \times x = 0.783$ | M1 A1 | | Eqn with sum of two 2-factor probs =0.783 |
| | <i>x</i> = 0.81 | Al | 3 | Correct answer |

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| | (ii) | $P(S \text{ given not like}) = \frac{P(S \cap NL)}{P(NL)}$ | B1 | 0.3×0.28 seen of of a fraction | n its own as | num or denom |
| | | $=\frac{0.3\times0.28}{0.3\times0.28+0.7\times0.19\ or\ 1-0.783}$ | M1 | Attempt at P(N_1 (0,7 × p_2) or 1 – | L) either (0.3 0.783 seen a | $(\times p_1) +$ |
| | | = 0.387 (12/31) | A1 | Correct unsimple denom of a fract | ified P(<i>NL</i>) at | as num or |
| | | | A1 4 | Correct answer | | |
| 5 | (i) | P(2Es 1O) = $\frac{3}{5} \times \frac{2}{4} \times \frac{2}{3} \times ^{3}C_{2} = \frac{3}{5}$ (0.6) OR | M1 M1 A1 3 | 5×4×3 seen in d Mult a prob by ³ Correct answer | enom ${}^{3}C_{2}$ oe | |
| | | P(2Es 1O) = $\frac{{}^{3}C_{2} \times {}^{2}C_{1}}{{}^{5}C_{3}} = \frac{6}{10}$ | M1 | ${}^{3}C_{x}$ or ${}^{y}C_{2}$ or ${}^{2}C_{1}$ num | oe seen mul | t by $k \ge 1$ in |
| | | = 0.6 | M1 A1 | ⁵ C ₃ seen in deno Correct answer | om | |
| | | OR 241, 247, 261, 267, 461, 467 = 6 options 124 126 127 146 147 167 246 247 267 467 | M1 M1 | List at least 3 of ${}^{5}C_{3}$ or list to get | 241, 247, 261 all 10 optior | , 267, 461, 467 ns in denom |
| | | Prob = 6/10 | A1 | Correct answer | | |
| | (ii) | 124 126 127 146 147 167 246 247 267 467 s 1 2 4 $P(S = s)$ 6/10 3/10 1/10 | M1 A1 B1 B1 B1 5 | Attempt at listin All correct and r 1, 2, 4 only seen Any two correct All correct | ng with at lea no others or a n in top row | st 7 correct all 60 |
| 6 | (a) (i) | N*****B Number of ways = $\frac{5!}{3!}$ = 20 | B1 B1 B1 3 | 5! Seen in num 3! Seen in denor Correct final ans | oe or alone n m can be mu swer | nult by $k \ge 1$ lt by $k \ge 1$ |
| | (ii) | B(AAA)NNS Number of ways = $\frac{5!}{2!}$ or ${}^{5}P_{3}$ = 60 | M1 M1 A1 3 | 5! seen as a num Dividing by 2! Correct final ans | n can be mult swer | t by $k \ge 1$ |
| | (b) | $^{14}C_9$ total options = 2002 T and M both in $^{12}C_7 = 792$ Ans 2002 - 792 = 1210 OR | M1 B1 A1 3 | $^{14}C_9$ or $^{14}P_9$ in su $^{12}C_7$ (792) seen Correct final ans | ubtraction att | empt |
| | | Neither $in^{12}C_9 = 220$ One in ${}^{12}C_8 = 495$ Other in ${}^{12}C_8 = 495$ | M1 B1 | Summing 2 or 3 condone ${}^{12}P_9 + {}^{12}$ Second correct of 495 or if M1 not option | options at le ${}^{12}P_8 + {}^{12}P_8$ he option seen a t awarded, an | east 1 correct re only ccept another ny correct |

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| | total = 1210 | A1 | Correct final answer |
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| 7 (a) (i) | prob = $p\left(z < \frac{30 - 35.2}{4.7}\right)$ = P($z < -1.106$) = 1 - 0.8655 = 0.1345 0.1345×52 = 6.99 | M1 M1 A1 A1 4 | Standardising no sq rt no cc no sq $1-\Phi$ Correct ans rounding to 0.13 Correct final answer accept 6 or 7 if 6.99 not seen but previous prob 0,1345 correct |
| (ii) | $\Phi(t) = 0.648 \qquad z = 0.380$ $0.380 = \frac{t - 35.2}{4.7}$ t = 37.0 | B1 M1 A1 3 | 0.648 seen standardising allow cc, sq rt,sq, need use of tables not 0.148, 0.648, 0.352, 0.852 correct answer rounding to 37.0 |
| (b) | $\frac{7 - \mu = -0.8\sigma}{\sigma} \text{so} 7 - \mu = -0.8\sigma$ $\frac{10 - \mu}{\sigma} = 0.44 \text{so} 10 - \mu = 0.44\sigma$ | B1 B1 M1 M1 | \pm 0.8 seen \pm 0.44 seen An eqn with z-value, μ and σ no sq rt no cc no sq Sensible attempt to eliminate μ or σ by subst or subtraction, need at least one value Correct answers |
| | $\mu = 8.94$ $\sigma = 2.42$ | Al 5 | Correct answers |