| Question | Answer | Marks | Guidance |
| :---: | :--- | ---: | :--- |
| 1 | $(\lambda=) \frac{5}{12}=0.417$ or better | $\mathbf{B 1}$ |  |
|  | $1-\mathrm{e}^{-\frac{5}{12}}\left(1+\frac{5}{12}\right)$ | $\mathbf{M 1}$ | $1-\mathrm{P}(X=0$ or 1), by Poisson, using any $\lambda$, allow <br> $1-\mathrm{P}(X=0$ or 1 or 2) for M1 |
|  | $=0.0661$ or $0.0662(3 \mathrm{sf})$ | $\mathbf{A 1}$ | Final answer <br> SC use of Binomial (from $0.06607 \ldots) \mathrm{B} 1$ only |
|  |  | $\mathbf{3}$ |  |


| Question | Answer | Marks | Guidance |
| :---: | :---: | :---: | :---: |
| 2 | $2 \times z \times \frac{3.2}{10}=1.25$ | M1 | OE Allow without ' $2 \times$ ' |
|  | $z=1.953$ | A1 | SOI |
|  | $\phi$ ('their 1.953') ( $=0.9746$ ) | M1 |  |
|  | $\begin{aligned} & =1-2\left(1-{ }^{‘} 0.9746 ’\right) \\ & =0.9492 \end{aligned}$ | M1 | OE |
|  | $\alpha=94.9$ or 95 | A1 | CWO |
|  |  | 5 |  |


| Question | Answer | Marks | Guidance |
| :---: | :---: | :---: | :---: |
| 3(a) | $\text { est }(\mu)=37.6 \text { or } \frac{1504}{40} \text { or } \frac{188}{5}$ | B1 |  |
|  | $\text { est }\left(\sigma^{2}\right)=\frac{40}{39}\left[\frac{57760}{40}-37.6^{2}\right]=31.0154=\frac{2016}{65}$ | M1 | Correct substitution in any correct formula $\frac{1}{39}\left[57760-\frac{1504^{2}}{40}\right]$ |
|  | $=31 .(0)(3 \mathrm{sf})$ | A1 | Accept $\frac{2016}{65}$ or $31 \frac{1}{65}$ |
|  |  | 3 |  |
| 3(b) | $\mathrm{H}_{0}$ : Pop mean $($ or $\mu)=39.2$ <br> $\mathrm{H}_{1}$ : Pop mean $($ or $\mu)<39.2$ | B1 | Both. Not just 'mean' |
|  | $\frac{37.6^{\prime}-39.2}{\frac{\sqrt{31.0154^{\prime}}}{\sqrt{40}}}$ | M1 | Allow use of biased variance (30.2), must have $\sqrt{ } 40$ |
|  | $=-1.817$ | A1 | SC FT use of biased $=-1.840$ for A1 |
|  | ${ }^{\prime} 1.817{ }^{\prime}>1.645 \mathrm{OE}$ | M1 | Valid comparison 'their 1.817 ' with 1.645 or valid area comparison $0.0346<0.05 \mathrm{OE}$ |
|  | There is evidence that mean time has decreased | A1FT | FT their 1.817; in context, not definite, no contradictions SC For 2 tail test: $\mathrm{H}_{1}: \mu \neq 39.2$ and comp 1.96, max B0M1A1M1A0 (no FT for final mark) |
|  |  | 5 |  |


| Question | Answer | Marks | Guidance |
| :---: | :---: | :---: | :---: |
| 4(a) | $\lambda(=0.4 \times 365 \div 50)=2.92$ | B1 |  |
|  | $\mathrm{e}^{-2.92}\left(1+2.92+\frac{2.92^{2}}{2}\right)$ | M1 | Any $\lambda$. Allow one end error |
|  | $=0.441(3 \mathrm{sf})$ | A1 |  |
|  |  | 3 |  |
| 4(b) | $\mathrm{e}^{-\lambda}>0.95$ | M1 | Allow ' $=$ ' throughout |
|  | $-\lambda>\ln 0.95$ or $\lambda<0.051293$ OE | M1 | Attempt $\ln$ both sides |
|  | '0.051293' $\times 50 \div 0.4(=6.411)$ | M1 |  |
|  | Largest $n$ is 6 ( 3 sf ) <br> Allow $n=6$ or $n \leqslant 6$ (NOT $n<6$ or $n \geqslant 6$ as final answer) | A1 | SC Trial and Improvement M1 for $\mathrm{e}^{-\lambda}>0.95$ SOI; M1 for $\lambda=n \times \frac{0.4}{50}$; M1 for use of both $n=6$ giving 0.9531 and $n=7$ giving 0.9455 ; A1 $n=6$ |
|  |  | 4 |  |



| Question | Answer | Marks | Guidance |
| :---: | :--- | ---: | :--- |
| $5(\mathrm{c})$ | Curve is symmetrical about $x=0$ | $\mathbf{B 1}$ | May be implied by sketch. No contradictions <br> or integrate $\mathrm{f}(x)$ between $-q$ and $+q$ and equate to 0.5 leading <br> to $q^{3}-300 q+1000=0$ oe |
|  | $q=3.47$ | $\mathbf{B 1}$ |  |
|  |  | $\mathbf{2}$ |  |


| Question | Answer | Marks | Guidance |
| :---: | :---: | :---: | :---: |
| 6(a) | $\mathrm{N}(310,50)$ | B1 | SOI |
|  | $\frac{300-' 310^{\prime}}{\sqrt{{ }^{\prime} 50^{\prime}}}(=-1.414)$ | M1 | Standardise using their values |
|  | $\Phi\left({ }^{6}-1.414{ }^{\prime}\right)=1-\phi\left({ }^{\prime} 1.414{ }^{\prime}\right)$ | M1 | Area consistent with their values |
|  | $=0.0786$ or $0.0787(3 \mathrm{sf})$ | A1 | As final answer |
|  |  | 4 |  |


| Question | Answer | Marks | Guidance |
| :---: | :---: | :---: | :---: |
| 6(b) | $\mathrm{P}(L-2 S>0)$ | M1 | OE SOI |
|  | $\mathrm{E}(X)=200-2 \mathrm{x} 110$ or $=-20$ | B1 | OE seen |
|  | Var $=30+2^{2} \times 20$ or $=110$ | B1 | Seen |
|  | $\begin{aligned} & \mathrm{N}(-20,110) \\ & \frac{0-\left('^{\prime}-20^{\prime}\right)}{\sqrt{\prime 10^{\prime}}}(=1.907) \end{aligned}$ | M1 | Standardising with their values. Mean and variance must come from a combination attempt. |
|  | $1-\Phi\left({ }^{\prime} 1.907\right.$ ') | M1 | Correct area consistent with their working |
|  | $=0.0283(3 \mathrm{sf})$ | A1 | Final answer |
|  |  | 6 |  |


| Question | Answer | Marks | Guidance |
| :---: | :--- | ---: | :--- |
| $7(\mathrm{a})$ | $\mathrm{P}(X \leqslant n)(n \leqslant 20)$ attempted, using B(20, 0.95$)$ | M1 | OE |
|  | $\mathrm{P}(X \leqslant 17)$ or $\mathrm{P}(X \leqslant 16)$ attempted, using B(20, 0.95$)$ | $\mathbf{M 1}$ | OE |
|  | $(\mathrm{P}(X \leqslant 17))=0.0755$ and $(\mathrm{P}(X \leqslant 16))=0.0159$ | $\mathbf{A 1}$ | $\mathrm{OE}(0.925$ and 0.984$)$ both correct |
|  | Rej region is $X \leqslant 16$ or $\mathrm{X}<17$ | $\mathbf{A 1}$ | Dependent on M1M1 and previous answers correct to at least <br> $0.075 / 0.076$ and 0.016 or $0.92 / 0.93$ and 0.98 <br> Correct unsupported answers of 0.0755 and 0.0159 OE scores <br> M1 M1 A0 |
|  |  | $\mathbf{4}$ |  |



