

Question	Answer	Marks	Guidance
1(i)	$z = 2.326$	<b>B1</b>	
	$62.3 \pm z \frac{13.2}{\sqrt{200}}$	<b>M1</b>	Any z. Expression of correct form. Must be a 'z'
	60.1 to 64.5 (3 sfs)	<b>A1</b>	Must be an interval
		<b>3</b>	
1(ii)	Yes, because pop not (given to be) normal, or pop distribution unknown	<b>B1</b>	No contradictions
		<b>1</b>	

Question	Answer	Marks	Guidance
2	$E(X - 3Y) = 0.2$	<b>B1</b>	oe
	$\text{Var}(X - 3Y) = 12.1 + 9 \times 8.6 (= 89.5)$	<b>B1</b>	
	$\frac{0 - 0.2}{\sqrt{89.5}}$ (= -0.021)	<b>M1</b>	For area consistent with their working
	$\Phi('0.021')$	<b>M1</b>	
	= 0.508 (3 sfs)	<b>A1</b>	
		<b>5</b>	

Question	Answer	Marks	Guidance
3	$H_0: \lambda = 32$ $H_1: \lambda < 32$	<b>B1</b>	Accept 'population mean' ( $\mu$ )
	$X \sim N(32, 32)$	<b>B1</b>	seen or implied
	$\frac{21.5 - 32}{\sqrt{32}}$	<b>M1</b>	Standardise with their values. Allow with no or wrong cc
	= -1.856 cv of $z = -2.054$ (or -2.055 or -2.053)	<b>A1</b>	
	'1.856' < 2.054	<b>M1</b>	Valid comparison or comp $\phi$ ("1.856") with 0.98 i.e. $0.9682 < 0.98$ oe
	No evidence that fewer accidents at B than at A	<b>A1f</b>	No contradictions Note Use of CV method $x = 20.38$ M1 A1 comparison $21.5 > 20.38$ M1 conc A1
		<b>6</b>	

Question	Answer	Marks	Guidance
4(i)	$\bar{x} = \frac{420}{50} = 8.4$	<b>B1</b>	
	$s^2 = \frac{50}{49} \left( \frac{27530}{50} - \left( \frac{420}{50} \right)^2 \right)$	<b>M1</b>	Or $1/49(27530 - (420)^2/50)$
	= 489.8(36....)	<b>A1</b>	Must see $\geq 4$ sf
		<b>3</b>	

Question	Answer	Marks	Guidance
4(ii)	$\Phi^{-1}(0.9377) = 1.536$	<b>B1</b>	
	$\frac{5-8.4}{\sqrt{\frac{490}{n}}} = -1.536$	<b>M1</b>	Attempting to standardise – must have correct form
	$n = \left(\frac{1.536}{3.4}\right)^2 \times 490$ (= 100.0048)	<b>M1</b>	Attempting numerical expression for n or $\sqrt{n}$ (must have used a 'z' value) may be implied by answer
	$n = 100$	<b>A1</b>	No errors seen. Must be whole number
		<b>4</b>	

Question	Answer	Marks	Guidance
5(i)	$1 - e^{-1.8}(1 + 1.8)$	<b>M1</b>	Accept any $\lambda$ . Accept $1 - P(0,1,2)$
	$= 0.537$ (3 sf)	<b>A1</b>	
		<b>2</b>	
5(ii)	$\lambda = 2.2$	<b>B1</b>	
	$e^{-2.2}\left(1 + 2.2 + \frac{2.2^2}{2!} + \frac{2.2^3}{3!} + \frac{2.2^4}{4!}\right)$	<b>M1</b>	Attempt expr'n for $P(X \leq 4)$ , allow one end error, allow any $\lambda$
	$= 0.928$ (3 sf) or 0.927	<b>A1</b>	
		<b>3</b>	

Question	Answer	Marks	Guidance
5(iii)	$1 - e^{-1.8t} \geq 0.99$	or $1 - e^{-\lambda} \geq 0.99$	<b>M1</b> Condone = signs/incorrect inequality signs
	$e^{-1.8t} \leq 0.01$ $-1.8t \leq \ln 0.01$	or $e^{-\lambda} \leq 0.01$	<b>M1</b> Valid attempt take logs (must have single term on each side)
	$t \geq 2.56$ She must watch for at least 2.56 (hours)		<b>A1</b> or 2 hours, 34 mins or better. No errors seen
			<b>3</b>

Question	Answer	Marks	Guidance
6(i)	Test is for “difference” oe	<b>B1</b>	Test is not for ‘increase’ or ‘decrease’ oe No contradictions
		<b>1</b>	
6(ii)	0.05	<b>B1</b>	
	Conclude mean time is different when it is not	<b>B1</b>	oe, in context
		<b>2</b>	

Question	Answer	Marks	Guidance
6(iii)	Assume $\sigma = 6.4$	<b>B1</b>	
	$H_0$ : pop mean = 91.4 $H_1$ : pop mean $\neq$ 91.4	<b>B1</b>	Allow $\mu$ , but not ‘mean’
	$\bar{x} = \frac{568.5}{6}$ (= 94.75)	<b>B1</b>	
	$\frac{‘94.75’ - 91.4}{\frac{6.4}{\sqrt{6}}}$	<b>M1</b>	Must have $\sqrt{6}$
	= 1.282 cv of $z = 1.96$	<b>A1</b>	
	‘1.282’ < 1.96	<b>M1</b>	Valid comparison or comp $\phi(‘1.282’)$ with 0.975 0.9(001) < 0.975 or 0.0999 (or 0.1) > 0.025 consistent use of one tail test can score M1 for comparison with 1.645oe but not A1ft oe. No contradictions. ft their z.
	No evidence mean time different	<b>A1 ft</b>	CV method $x = 96.52$ M1 A1 94.75 < 96.52 M1 Conc A1
		<b>7</b>	

Question	Answer	Marks	Guidance
7(i)	$\sqrt{2} \int_{\frac{\pi}{6}}^{\frac{\pi}{4}} \cos x dx$ $= \sqrt{2} \left[ \sin x \right]_{\frac{\pi}{6}}^{\frac{\pi}{4}}$	M1	Attempt integ f(x) with correct limits
	$= \frac{2-\sqrt{2}}{2} \text{ oe or } 0.293 \text{ (3 sf)}$	A1	SC Final answer of 0.707 scores B1sc
		2	
7(ii)	$\sqrt{2} \int_0^m \cos x dx = 0.5$	M1	Attempt to integ f(x) & = 0.5. Ignore limits. Condone missing $\sqrt{2}$
	$\sqrt{2} \left[ \sin x \right]_0^m = 0.5$ $\sqrt{2} \sin m = 0.5$	A1	Correct integral and limits 0 to unknown & = 0.5 Condone missing $\sqrt{2}$
	$\sin m = \frac{1}{2\sqrt{2}} \text{ oe}$	M1	For rearranging their expression to the form $\sin m = \dots$ ( $\sin m = 0.35355\dots$ or 0.354) seen or implied
	$m = 0.361 \text{ (3 sfs)}$	A1	No errors seen (Note 20.705 can score M1 A1 M1 A0)
		4	

Question	Answer	Marks	Guidance
7(iii)	$\sqrt{2} \int_0^{\frac{\pi}{4}} x \cos x dx$	<b>M1</b>	Attempt to integ $xf(x)$ . Ignore limits. Condone missing $\sqrt{2}$
	$= \sqrt{2} \left\{ [x(\sin x)]_0^{\frac{\pi}{4}} - \int_0^{\frac{\pi}{4}} \sin x dx \right\}$	<b>M1</b>	Attempt to integ by parts leading to expression of form $\pm x \sin x \pm \cos x$ with correct limits
	$= \sqrt{2} \left\{ \frac{\pi}{4\sqrt{2}} - 0 - [-\cos x]_0^{\frac{\pi}{4}} \right\}$	<b>A1</b>	For $\sqrt{2}(x \sin x - (-\cos x))$ with correct limits
	$= \sqrt{2} \left\{ \frac{\pi}{4\sqrt{2}} + \cos \frac{\pi}{4} - 1 \right\}$ $= \frac{\pi}{4} + 1 - \sqrt{2}$ oe or 0.371 (3 sf)	<b>A1</b>	
		<b>4</b>	